# Industrial Organization

Market Structure: Measures of Concentration and Volatility

Game Theory: Static Games

Week 2

### Measures of Concentration

#### **HERFINDAHL-HIRSCHMAN INDEX**

- Sum of the **squared** market shares of **all** firms in the market:  $HHI = \sum_{i=1}^{N} s_i^2$
- What is its maximum possible value,  $HHI^{Max}$ ?
- What is its minimum possible value,  $HHI^{Min}$ ?
- Advantages? Disadvantages?

- Most used measure of concentration by competition authorities.
- According to the European Commission, a market with a HHI smaller than 0,1 is said to be not concentrated a market with a HHI larger than 0,18 is said to be concentrated.





### Measures of Concentration

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IN A SPECIFIC MARKET (WITH n FIRMS) 1/N



### Measures of Concentration

#### **CONCENTRATION RATIO**

- Sum of the market shares of the k biggest firms in the market:  $C_k = \sum_{i=1}^k s_i$
- What is its maximum possible value,  $C_k^{Max}$ ?
- What is its minimum possible value,  $C_k^{Min}$ ?
- Advantages? Disadvantages?

#### **Useful when:**

- A group of firms dominate a market and on top of that there is a numerous group of small firms.
- Example: Car glass market

Firm	Market Share
Glassdrive	40%
ExpressGlass	25%
Carglass	25%
1000 other small firms	10%

Even though we have many firms in this market  $C_3 = 90\% \rightarrow \text{Highly concentrated market}$ 



### Other Measures of Concentration

STANDARD DEVIATION OF MARKET SHARES (EX. 2)

$$\sigma_{s} = \left(\frac{\sum_{i=1}^{N} (s_{i} - \overline{s})^{2}}{N}\right)^{\frac{1}{2}}$$

EQUIVALENT NUMBER OF ADELMAN (EX. 3)

Equivalent Number of Adelman = 
$$\frac{1}{HHI}$$

Number of firms with the same market share that would lead to a market concentration equal to HHI.



### Other Measures of Concentration

EQUIVALENT NUMBER OF ADELMAN (EX. 3)

Equivalent Number of Adelman =  $\frac{1}{HHI}$ 

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Firm	Market Share
Firm A	35%
Firm B	25%
Firm C	19%
Firm D	16%
Firm E	5%

Firm	Market Share
Firm F	25%
Firm G	25%
Firm H	25%
Firm I	25%

**HHI of this market** 

is also 0,25

$$HHI=0,25$$

$$EN=4$$



# A Measure of Volatility

#### THE INSTABILITY INDEX

$$I = \frac{1}{2} \sum_{i=1}^{N} |s_{i,t} - s_{i,t-1}|$$

- Dynamic, not static measure!
- What is its maximum possible value,  $I^{Max}$ ?
- What is its minimum possible value,  $I^{Min}$ ?

Maximum possible change: assume that all firms that existed in t-1 disappear and are replaced by new firms in t:

$$I^{Max} = \frac{1}{2}[|0-1|+|1-0|] = 1$$

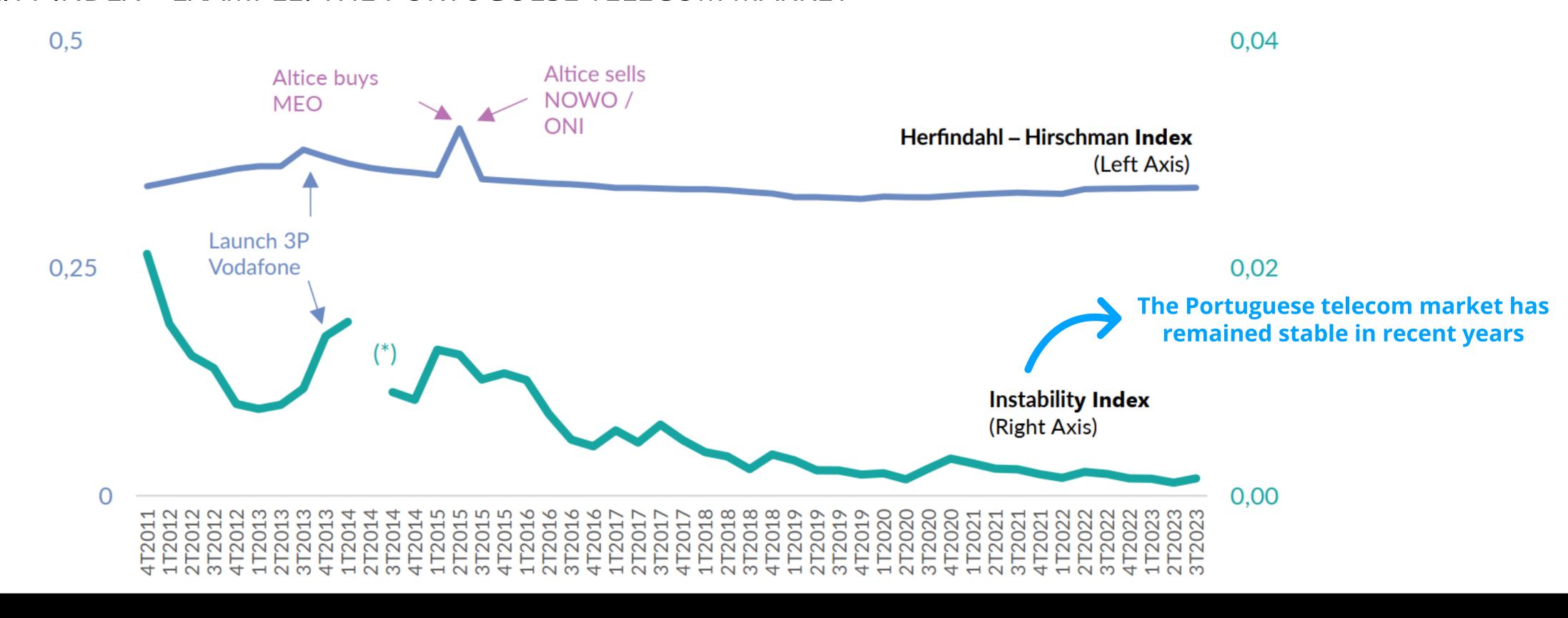
Meanwhile, if market shares remain constant between the periods t-1 and t:

$$I^{Min}=0$$



# A Measure of Volatility

THE INSTABILITY INDEX – EXAMPLE: THE PORTUGUESE TELECOM MARKET





### Market Structure

+ -× ÷ EXERCISE

5. [ADAPTED] In 2010 the diaper industry in Portugal consisted of 5 firms producing identical diapers. Showing your computations, fill-in the missing items in table 3. Explain and calculate the Equivalent Number of Adelman.

Voor	Firms			Concentration Measures			
Year	1	2	3	4	5	C4	HHI
2010	40%	15%	15%	15%	15%	?	?



### Market Structure

**EXERCISE** 

- 1. With table 1, find the interval of values for the Herfindahl-Hirschman Index for the PC market in the US. Find the interval of values for the instability index.
- Maximum and minimum possible values for HHI?
- Maximum and minimum possible values for the Instability Index?

Firm	Market Share		
	2020	2024	
HP	30%	24,2%	
Dell	25%	22,3%	
Lenovo	15%	17,2%	
Apple	8%	15%	
Others	22%	20,5%	



# Game Theory

**BASICS** 

A game is...



John von Neumann Founder of Game Theory

"a <u>conflict situation</u> where one must make a choice knowing that others are making choices too and the outcome of the conflict will be determined in some prescribed way by all the choices made" – John von Neumann

GAME THEORY HELPS US TO MODEL STRATEGIC INTERACTIONS



# Game Theory

**BASICS** 

A game needs...

### **Players:**

• Participants in the game

### **Strategy:**

 A detailed plan of action for strategic interactions

### **Payoffs:**

 Final utility the player obtains in the game as consequence of all the player's strategies



# Game Theory SIMULTANEOUS GAMES

#### **SIMULTANEOUS GAMES:**

- ✓ Games in which players choose their strategy at the same time
- ✓ Representation: Payoff Matrix
- Solution concept: Nash Equilibrium (NE) \*
- ✓ How to get to the NE? Iterative Elimination of Dominated
  Strategies (IEDS) or Best Response
  A's strategies

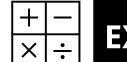
		<u>B's strategies</u>
A/B	Left	Right
Up	(3,3)	(O,1)
Down	(2,3)	(2,0)
	A's Payoff B's Payoff	

Players: A and B

\*A Nash Equilibrium is a situation in which no player has an incentive to unilaterally deviate from their chosen strategy.



# Game Theory



#### **EXERCISE**

1. Determine the equilibrium using iterative elimination of dominated strategies in the following game and by checking the best response to each player's strategy. Determine the Nash Equilibrium.

	U	D
U	8,8	$0,\!15$
$\overline{D}$	15,0	2,2

3. Determine the equilibrium using iterative elimination of dominated strategies in the following game.

	${ m L}$	$\mathbf{C}$	R
T	-1,-2	-2,0	0,0
M	-2,0	0,-2	0,0
В	0,0	0,0	1,1



# Recommended readings

CABRAL, LUIS MB. INTRODUCTION TO INDUSTRIAL ORGANIZATION. MIT PRESS, 2017.

- ✓ Chapter 9.1: Concentration and Market Power
- Chapter 4.1: Dominant Strategies, Dominated
   Strategies and Nash Equilibrium

